					Re	g. No.									
	Question Paper Co			de	12493										
		RE/RT	ech - DFG	REE EX	AM	INATI	ONS	N	V	/ DF		023	k		
	Third Semester														
		Ε	lectronics a	nd Comr	nun	ication	Eng	ine	erin	ıg					
		(Comr	non to Com	puter and	Cor	nmunic	atior	En	gine	eerin	g)				
			20ECPC30	3 - SIGN	ALS	S AND	SYS	TE	MS						
	(Regulations 2020)														
Dur	atior	: 3 Hours					_				Max	x. N	Aarks	s: 10	0
			PAR	$\Gamma - A (10)$	$\times 2$	= 20 M	arks)							
			A	Inswer AI		Zuestioi	IS							Ma	rks,
1	Find the energy and new or of a unit star signal										K	X-Leve	e l, CO		
1. ว	Find the energy and power of a unit step signal. Draw the signal $y(t = 2) = y(t = 5)$											2,K2,			
2. 2	Draw the signal $u(t-2) - u(t-5)$.											2,K2,COT			
3. ⊿	Write the equations for trigonometric Fourier series and its Co. officients												2,K2,	CO_2	
4. 5	write the equations for trigonometric Fourier series and its Co-efficients.												2,K1,	CO2	
5. 6	State the initial and final value theorems of Laplace Transform.										a	2,K1, 2 K2	COS		
0. 7	Find the Laplace transform of $x(t) = e^{-3t}u(t) + e^{-3t}u(t)$ and specify its Reference of the second s								200	С.	2,K2,				
/.	Find the poles and zeros for $H(s) = \frac{s(s+5)}{(s+2)(s+3)(s+4)}$												2,112,	04	
8.	What are the Properties of Convolution?											2,K1,	<i>CO4</i>		
9.	State sampling theorem.									2,K1,	CO5				
10.	What is meant by ROC in Z transform?										2,K1,	CO5			
PART - B ($5 \times 13 = 65$ Marks) Answer ALL Questions															
11.	a)	(i) Identify v (a) $y(t) =$ (b) $v(t) =$	whether the f $e^{x(t)}$	following	syst	tems are	line	ar o	r no	ot.				7,K2,	CO1
		(i) $y(r)$ (ii) Examine (a) $y(n) =$ (b) $y(n) =$	whether the x(-n) = x(n+1) +	te followin $x(n) + x(0)$	g sy n – R	vstems a 1)	re ti	ne i	nva	rian	t or 1	10t.		6,K2,	CO1
	b)	Draw the wa $x1(t) = 2u(t + x^2)$ $x2(t) = 2u(t + y^2)$ y1(t) = x1(t) y2(t) = x1(t)	veforms rep - 1); - 2); + x2(t); - x2(t);	presented	by tl	he follo	wing	, ste	p fu	Incti	on.		Ĭ	13,K2	,CO1

K1 – Remember; K2 – Understand; K3 – Apply; K4 – Analyze; K5 – Evaluate; K6 – Create 12493

12. a) Calculate the trigonometric Fourier Series for the periodic signal ^{13,K2,CO2} shown in figure.





- b) State and prove the properties of Continuous Time Fourier Series. 13,K2,CO2
- 13. a) (i) Find the Fourier transform of signal $x(t) = e^{-a|t|}$ 6,K2,CO3

(ii) State and prove the properties of time shifting and convolution in *7,K2,CO3* Fourier Transform.

OR

b) Find the inverse Laplace transform of X(s) = $\frac{4}{(s+2)(S+4)}$ if the ^{13,K2,CO3}

ROC is (a) -2>Re{s}> -4 (b) Re{s} < -4

14. a) The impulse response of an LTI system is $h(t)=2e^{-3t}u(t)$. Find the ^{13,K3,CO4} response of the system for the input $x(t)=2e^{-5t}u(t)$ using Fourier Transform.

OR

- b) The input-output of a causal LTI system are related by the differential ^{13,K3,CO4} equation $\frac{d^2}{dt^2}y(t) + 6\frac{dy(t)}{dt} + 8y(t) = 2x(t)$. (i) Find the impulse response h(t). (ii) Find the response y(t) of this system if x(t) = u(t). Hint: Use Fourier transforms.
- 15. a) Find the inverse z-transform of $X(z) = \frac{z^{-1}}{1 0.25z^{-1} 0.375z^{-2}}$.
 - For (i) ROC |z| > 0.75 and (ii) ROC |z| < 0.5

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b) (i) State and prove sampling theorem for a band limited signal. 6,K2,C05

- (ii) Given signal $x(t) = 5 \cos(2000\pi t) + 10 \cos(1000\pi t) + 20 \cos(10000\pi t)$ ^{7,K2,CO5}
 - Determine (a) Minimum sampling rate to avoid aliasing
 - (b) Discrete time signal if sampling rate fs=16 kHz
 - (c) Discrete time signal if sampling rate fs=8 kHz.

K1 – Remember; K2 – Understand; K3 – Apply; K4 – Analyze; K5 – Evaluate; K6 – Create 12493

PART - C (1 × 15 = 15 Marks)

- 16. a) Find the transposed structure for the system given by difference 15,K3,CO6 equation y(n)=(1/2)y(n-1)-(1/4)y(n-2)+x(n)+x(n-1).OR
 - b) Rephrase the following system using direct form I and 15,K3,CO6 direct form –II y(n) = a1 y(n-1) + x(n) + b1 x (n-1).